

# Airlines-within-airlines strategies and entry of Low-cost carriers

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Ming Hsin LIN  
Faculty of Economics,  
Osaka University of Economics

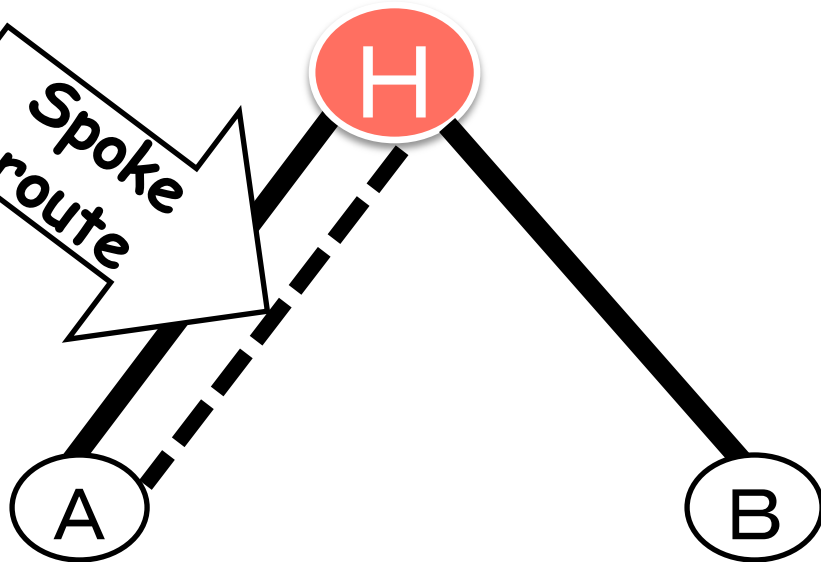


# 1. Intro. Entry of LCCs

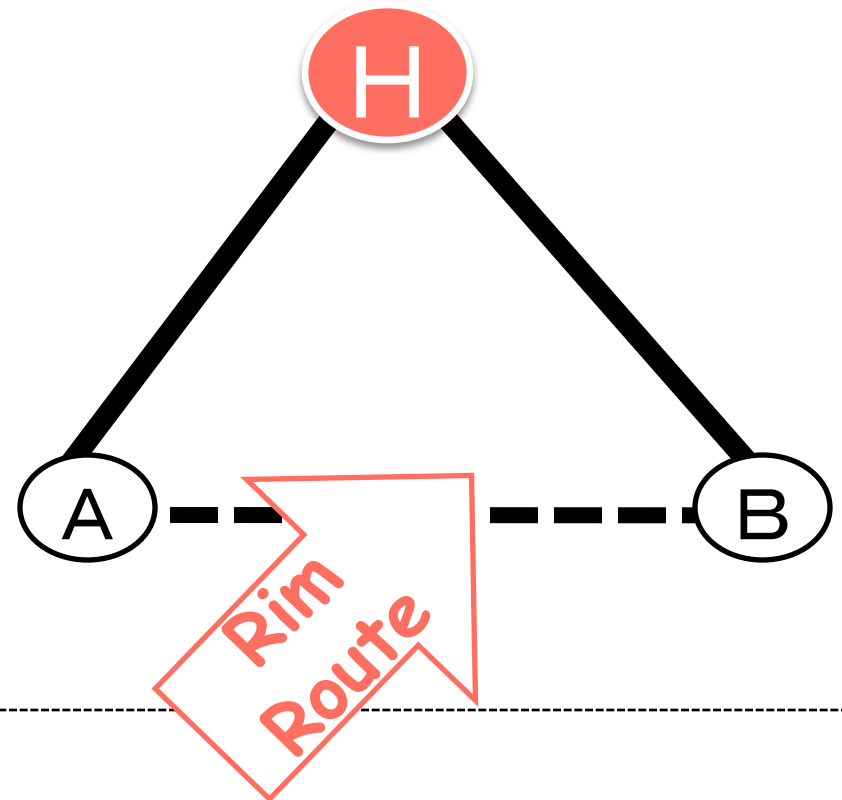
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- ✦ After airline deregulation, low cost carriers (**LCCs**) entered the markets.eg., Southwest, American West, Frontier, Jetblue...
- ✦ One interesting aspect: LCCs entered in non-hub city-pairs ("**rim**" routes).

Entry on hub city-pairs  
(spoke route)

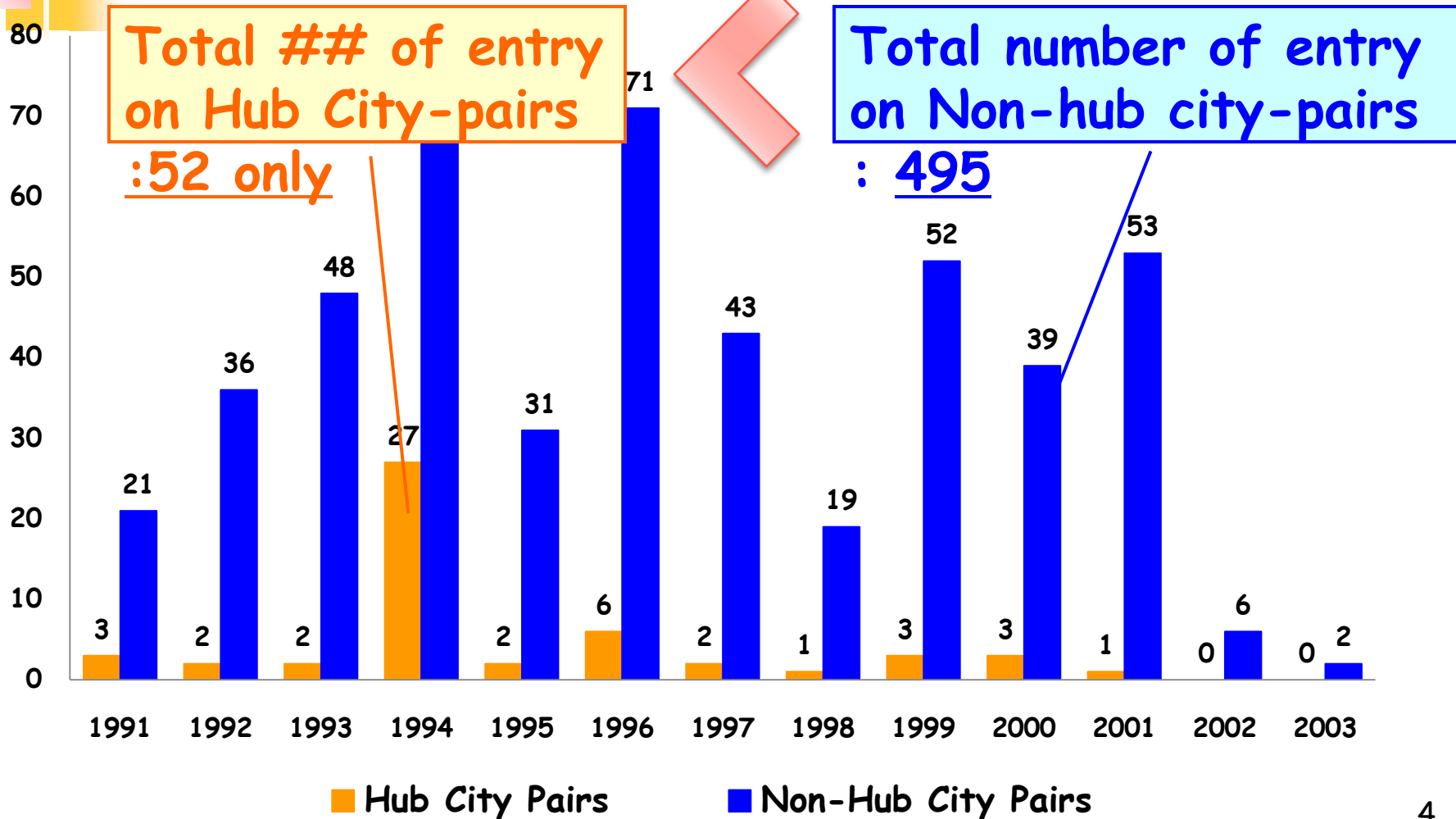


Entry on non-hub city-pairs  
(rim route)



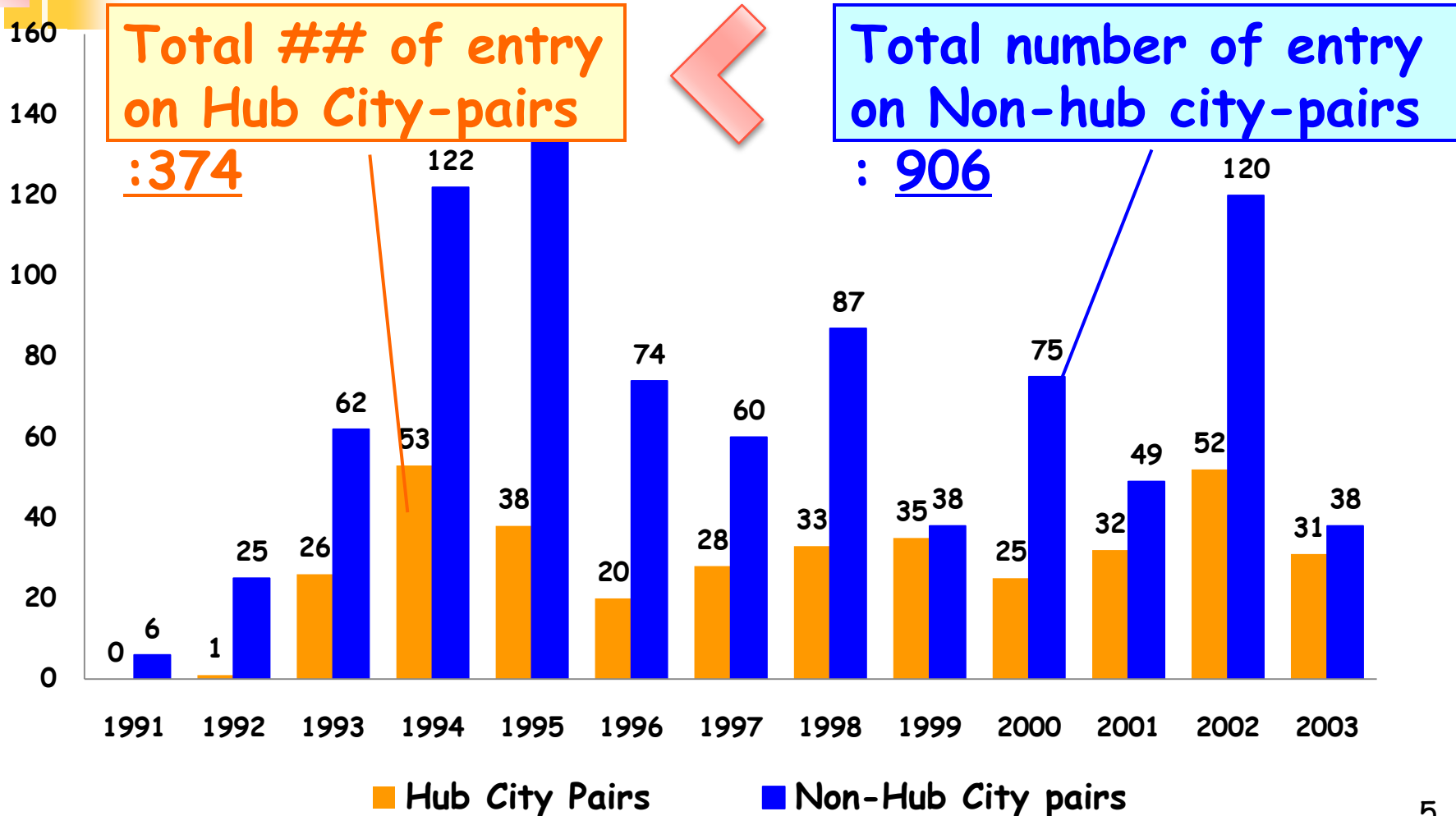
# Entry routes by Southwest

## By Bamberger and Carlton 2006



# Entry routes by other LCCs

## By Bamberger and Carlton 2006





# 1. Intro. A-in-a strategies

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- ✦ Hub-spoke carriers establishing “low cost, no frills” divisions to meet LCCs those entered their rim routes.

[airlines-within-airlines strategy]

in U.S.: major carriers failed on Aina.

in Europe and Asia Pacific: carriers are now adopting the A-in-a stra.

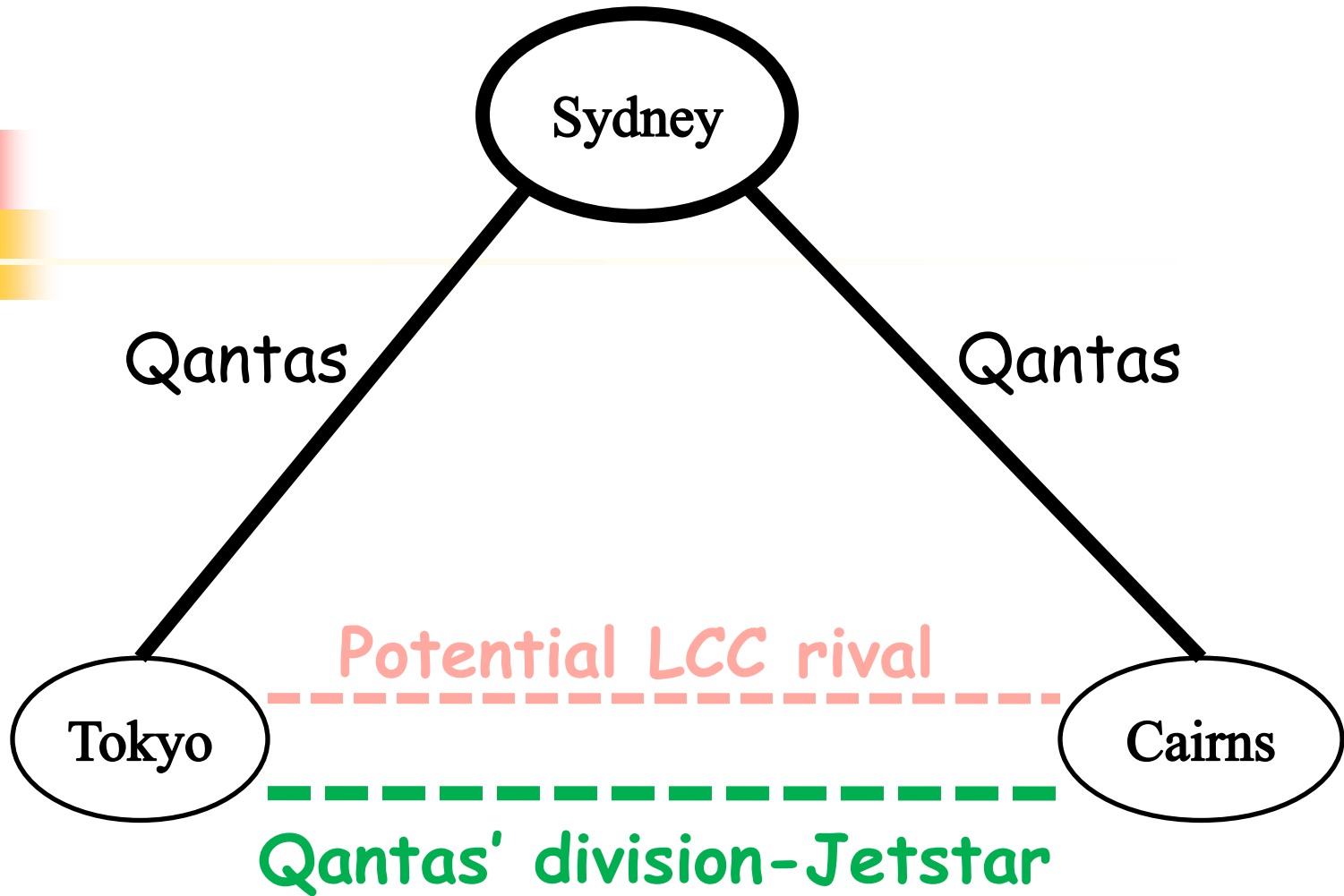
# 1. Intro. Examples in US

Major carriers	Delta	United	Continental	Delta	US Airways
Low-cost, nonstop division	Song	Ted	CALite	Delta Express	Metrojet
Start of operation	2003	2004	1993	1996	1998
End of operation	2006	2008	1995	2003	2002
LCC rivals	JetBlue	Frontier, America West			

# 1. Intro. in EU/Asia Pacific

Major carriers	British Airways	Qantas		Iberia Airline	Thai Airways
Low-cost, nonstop division	OpenSkies	Jetstar	Jetstar	Clickair	Nok Air
Start of operation	Oct.2008	May.2004	Nov.2006	2006	2004
Operation routes	NY-Paris NY-Amst.	in Australia	Australia-Asia	Barcelona-Amst. Barcelona-Athens	Bangkok-Singapore
LCC rivals				Vueling Airlines	Value Air, Tiger Air <sub>8</sub>





Many examples in Dunn (2008)  
& new examples in this paper !!



# 1. Intro. Carriers' concerns

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interesting trade-off:

Merit: has cost advan.to comp.with LCCs.

Demerit: cannibalizes network carriers' pi

✦ Is the A-in-a stra profitable for major carriers?



# 1. Intro. Anti-comp. concerns

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- ✦ Two complaints to DOT.

Valujet complained US airways:

Air south

Continental:

- ✦ DOT suggests the A-in-a stra. are difficult to explain as non-predatory.



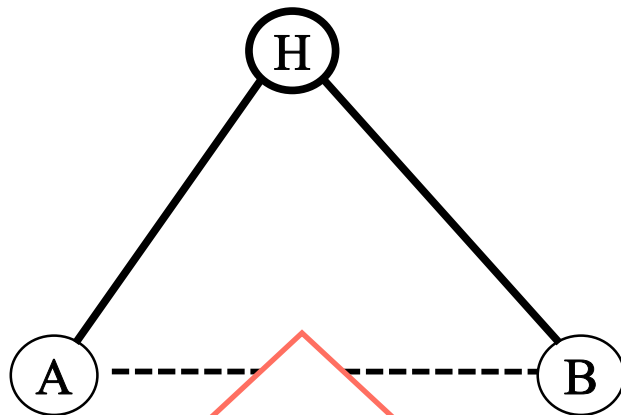
# 1. Intro. Previous studies

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- ✦ Morrell (2005) JATM: cost comparison analysis
- ✦ Dunn (2008) IJIO: empirical study
- ✦ No existing study addresses the issue of A-in-a-stra and LCCs' entry theoretically.

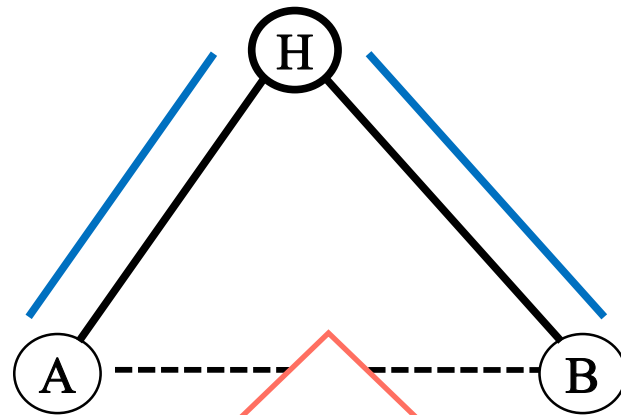
# 1. Intro. Dunn's main results

A hub-spoke network carrier



Less likely to enter/adopt

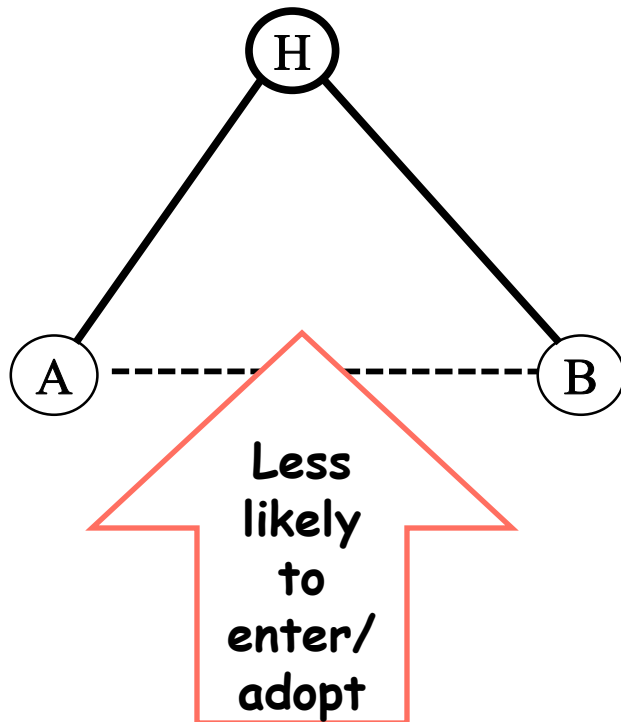
Network carriers' own one-stop service (or their rivals') is **low quality**



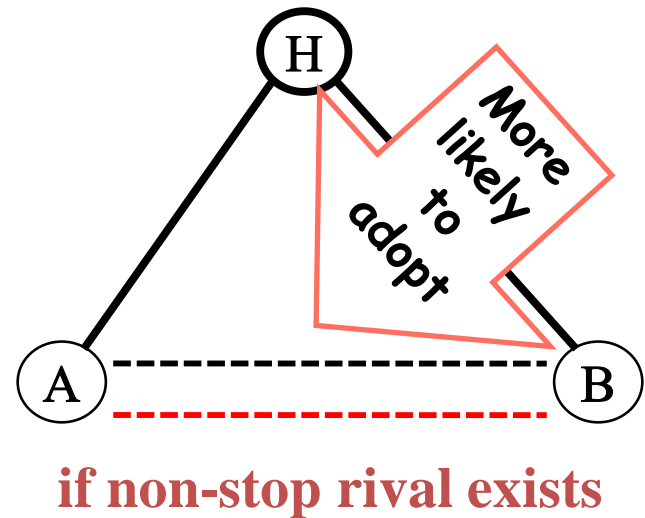
More likely to enter/adopt

# 1. Intro. Dunn's main results

A hub-spoke network carrier



hub-spoke network carriers





# 1. Intro. Paper's purpose

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- ✦ Theoretically investigate profitability of Aina stra., relevant impacts on LCCs.

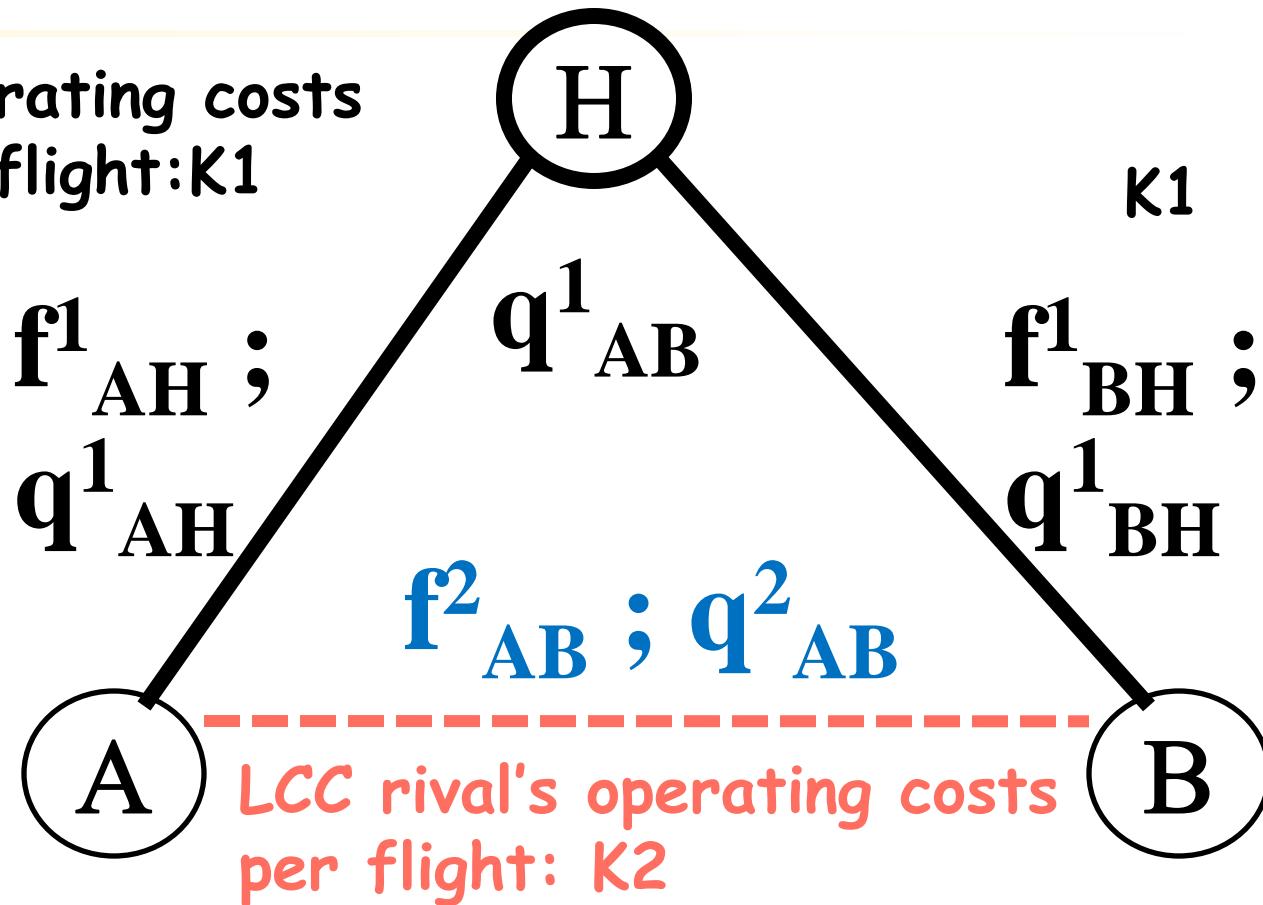
Focus and features:

- ✦ entry of LCCs
- ✦ adoption of A-in-a stra:  
=establish a low cost nonstop division
- ✦ flight frequency com.

# Network for Case-e:

nonstop LCCs rival entered

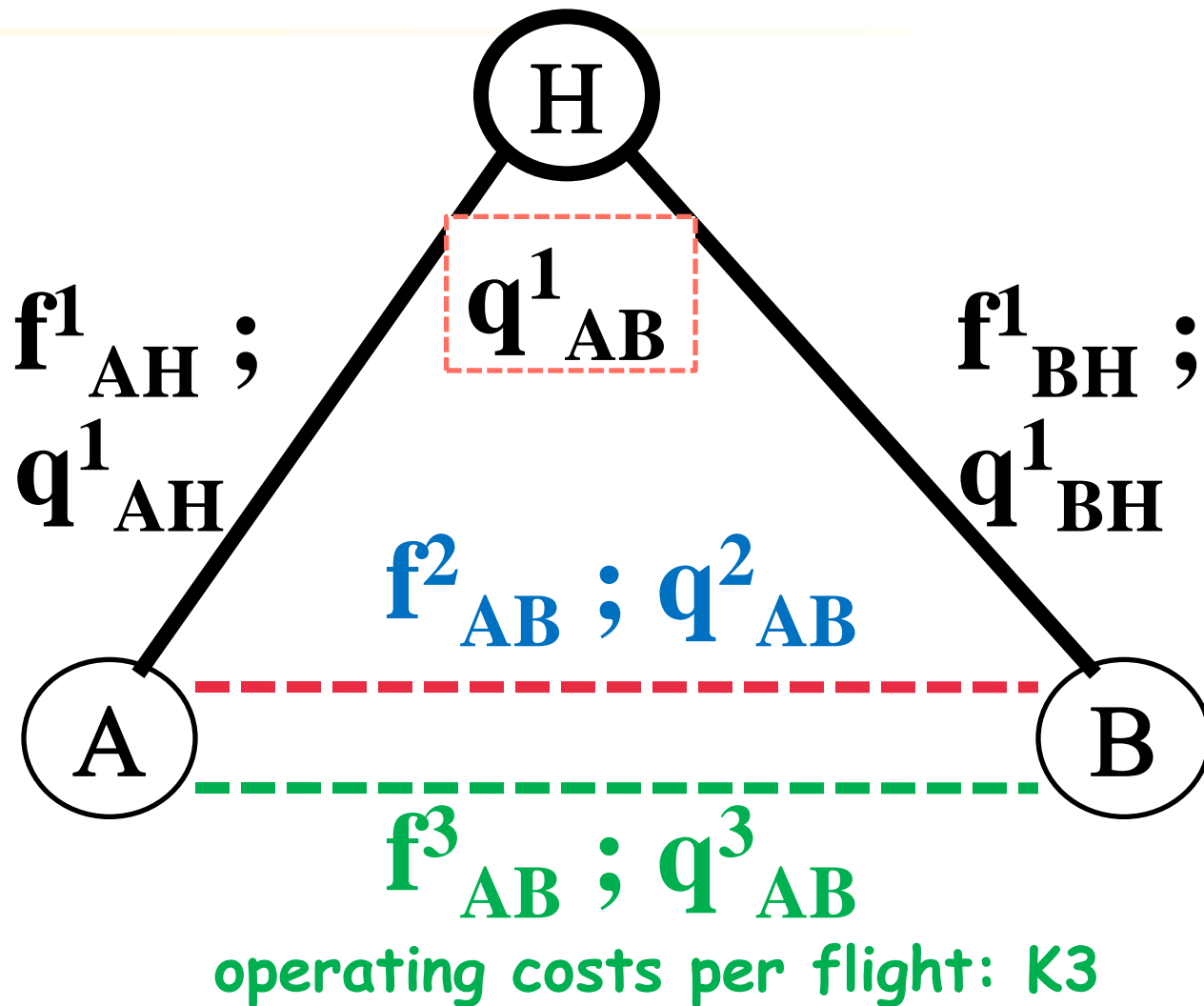
operating costs  
per flight:  $K1$





# Network for Case-aI offering $q^1_{AB}$

## Case-aII withdrawing $q^1_{AB}$



## 2. Model. Utility function

w: will. to pay, uniformly distributed  $[-\infty, W]$

- Symmetric AH, BH spoke markets

$$u_j = w + (f_j^1)^{1/2} - p_j^1, j = AH, BH$$

- Connecting AB market (hub-through extra cost: T)

$$u_{AB} = \begin{cases} u_{AB}^{\text{nonstop}} & \text{if using Airline } i \text{'s nonstop service, } i = 2,3 \\ u_{AB}^{\text{onestop}} & \text{if using Airline 1's onestop service} \end{cases}$$

$$u_{AB}^{\text{nonstop}} = w + (f_{AB}^i)^{1/2} - p_{AB}^i$$

$$u_{AB}^{\text{onestop}} = w + (f_j^1)^{1/2} - p_{AB}^1 - T$$

## 2. Model. Demand functions

Case-e: without  $q^3_{AB}$ ,  $P^3_{AB}$

Case-aI:

$$P_j^1 = W + (f_j^i)^{1/2} - q_j^1, \quad j = AH, BH$$

$$P_{AB}^1 = W + (f_j^i)^{1/2} - (q_{AB}^1 + q_{AB}^2 + q_{AB}^3) - T$$

$$P_{AB}^2 = W + (f_{AB}^2)^{1/2} - (q_{AB}^1 + q_{AB}^2 + q_{AB}^3)$$

$$P_{AB}^3 = W + (f_{AB}^3)^{1/2} - (q_{AB}^1 + q_{AB}^2 + q_{AB}^3)$$

Case-aII: without  $q^1_{AB}$ ,  $P^1_{AB}$



## 2. Model. Cost differential

Following Brueckner & Zhang 2001,

Kawasaki 2008

Air.  $i$ 's oper. costs/per direct flight:  $K_i, i=1, 2, 3$

- $K_i$  = fixed cost + constant marginal cost ( $\equiv 0$ )
- $K_1 \geq K_2 \equiv 1$ ,  $K_3$  larger/smaller than  $k_2$ .
- Entry/establishment costs are ignored.



## 2. Model. Profits functions

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Case aI:

$$\Pi_1 = p_{AH}^1 q_{AH}^1 + p_{BH}^1 q_{BH}^1 + p_{AB}^1 q_{AB}^1 - (f_{AH}^1 + f_{BH}^1) K_1 + [p_{AB}^3 q_{AB}^3 - f_{AB}^3 K_3]$$

$$\pi_2 = p_{AB}^2 q_{AB}^2 - f_{AB}^2 K_2$$

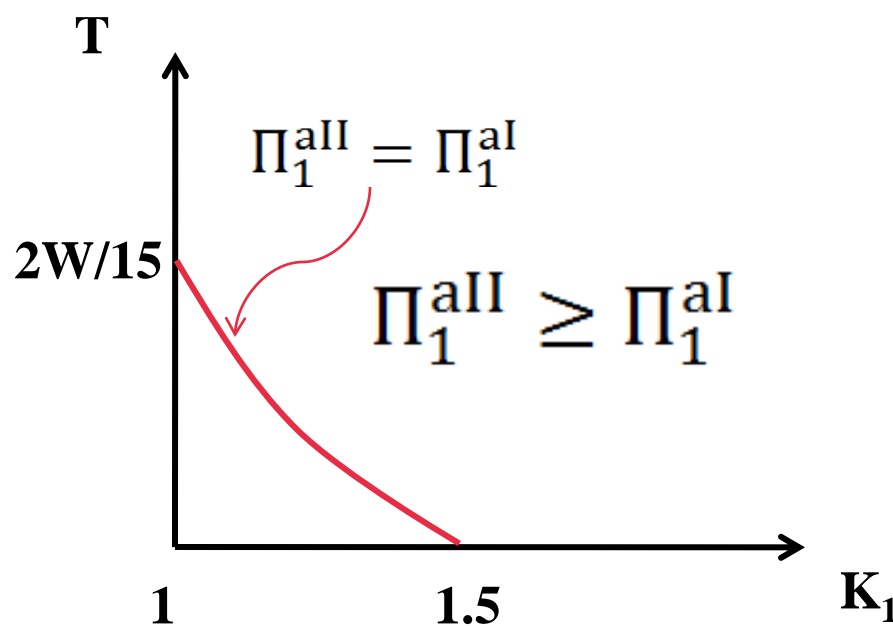
### 3. Outcomes for three cases

See Table A.1, A.2 in Appendix

# 4. Adoption of A-in-a stra.

Lemma 1. benchmark case:  $K_2=K_3$

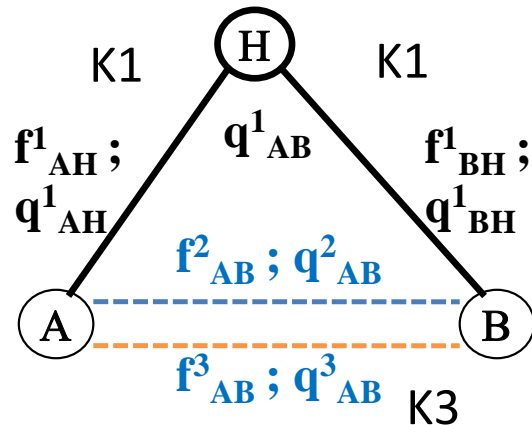
$$\Pi_1^{aII} \geq \Pi_1^{aI} \text{ if } T \geq T_L^a \equiv [2(3 - 2K_1)/5(4K_1 - 1)] W$$



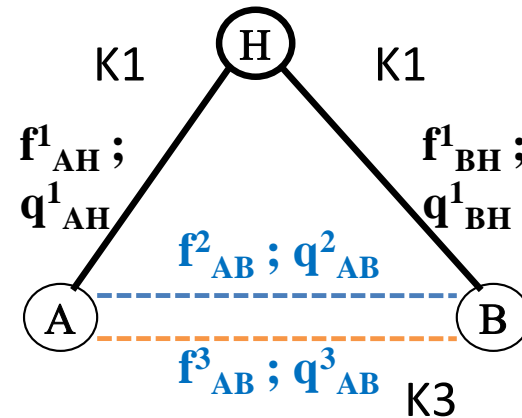
A-in-a strategy  
with Sce.II  
(withdraw the one-  
stop service) is  
preferable, **except**  
costs  $(T, K_1)$  is  
small

# 4. Intuition for lemma 1

Network for Case-aI



Network for Case-aII



Merit: enjoy Network Freq. Eff.  
by joint-production  
Demerit: cannibalization effect

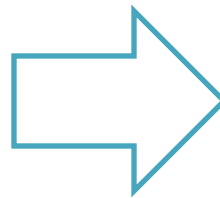
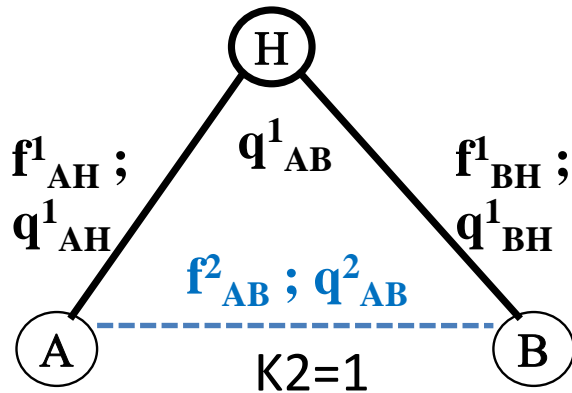
Demerit: cannot enjoy Network  
Freq. Eff.  
Merit: without cannibalization

(T, K1) small: Air.1 remains one-stop to enjoy NFE.

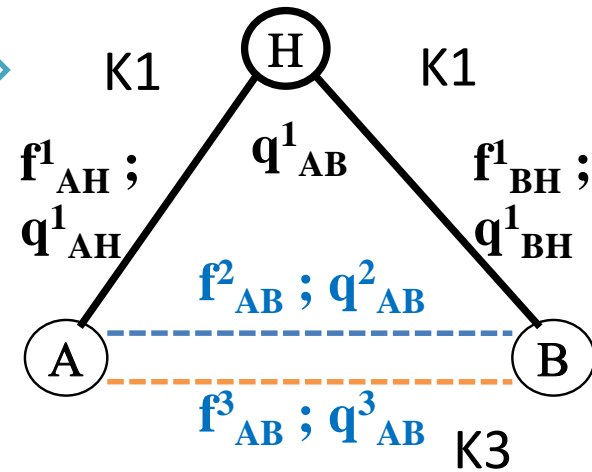
(T, K1) large: then give up NFE, derives larger profits by Air.3  
with lower cost K3.

# 4.effects for A-in-aI

Network for Case-e



Network for Case-aI

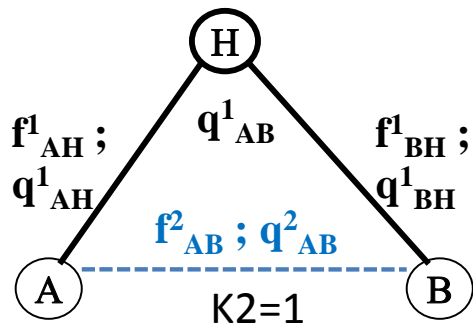


Prop. 1: A-in-a I always  $\downarrow \Pi 1$ ,  $\uparrow \pi 2$ .  
This holds, even though  $K3 \ll K2=1$

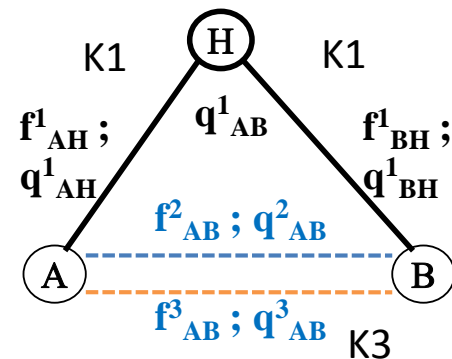


# 4. Intuition for Prop. 1

Network for Case-e



Network for Case-aI



Merit: enjoy network freq. eff. by joint-production  
Demerit: cannibalization effect

establishing 3 cannibalizes 1's demand of one-stop service

→ 1 has to ↓ spokes' f1s. →  $f1s, q1s, \downarrow \Pi1^{HS} \downarrow > \pi3 \uparrow \Rightarrow \Pi1 \downarrow$

$[q1ABe] > [q1ABaI + q3ABaI] \Leftrightarrow [q2ABe] < [q2ABaI] \Rightarrow \pi2 \uparrow$

# 4. effects for A-in-aI

## comparative-static analysis of K3

Corollary 1 to Prop. 1:

(a)  $d\Pi_1/dK_3 < 0$ ,  $d\pi_2/dK_3 > 0$ . ← transparent

(b)  $d\Pi_1^{HS}/dK_3 < 0$ ,  $d\pi_3/dK_3 > 0$ . ← unusual

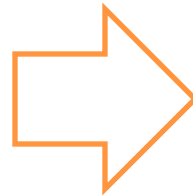
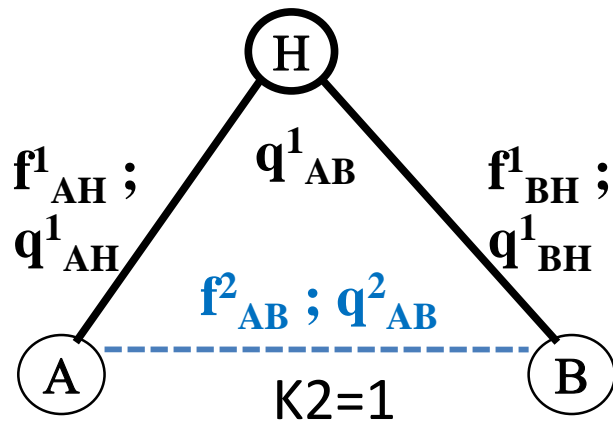
$K_3 \downarrow \rightarrow 3 \uparrow f_{3AB} \rightarrow$  bring new demand into the market!  
However this created demand is absorbed by 1

i.e.,  $[1 \uparrow \text{spokes } f_{1s} \rightarrow f_{1s}, q_{1s} \uparrow \Rightarrow \Pi_1^{HS} \uparrow]$

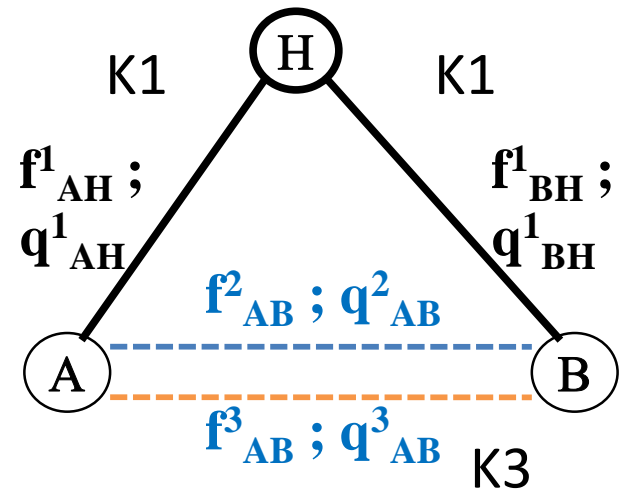
$\Leftrightarrow q_{3AB} \downarrow \Rightarrow \pi_3 \downarrow$

# 4.effects for A-in-aII

Network for Case-e

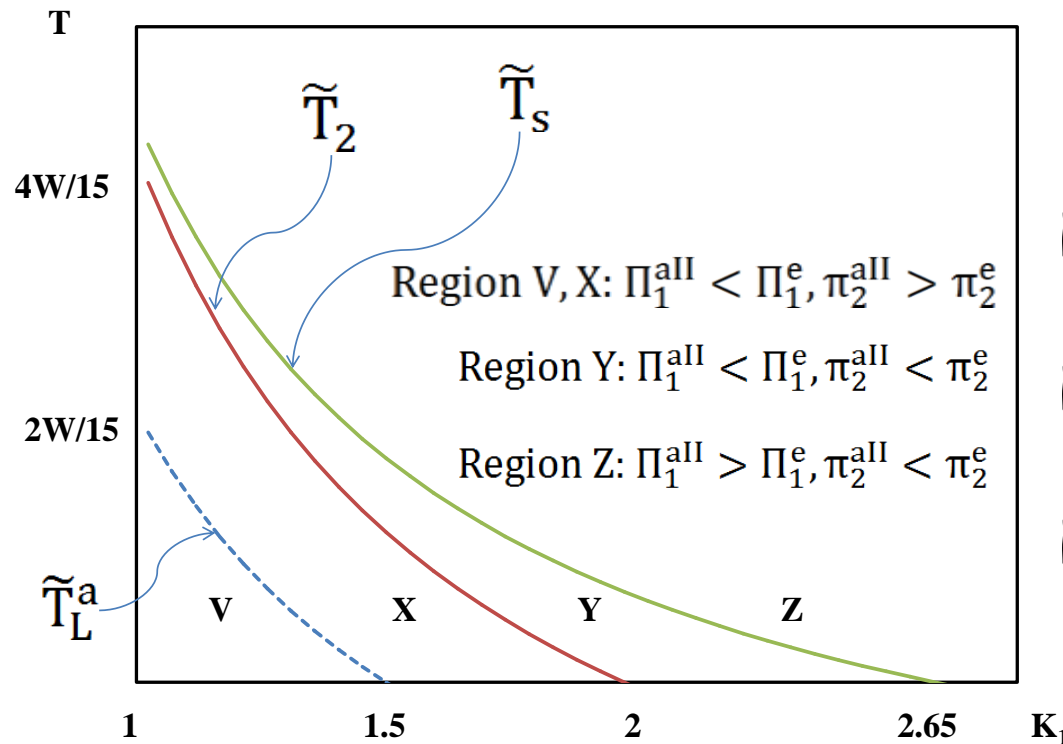


Network for Case-aII



# 4. effects for A-in-aII

Prop. 2: holds when  $K_3=K_2=1$



Due to the A-in-aII

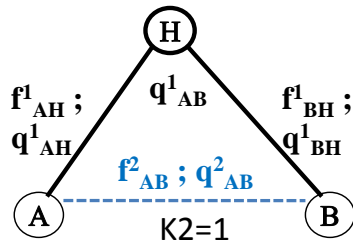
Reg. Z:  $\Pi_1 \uparrow, \pi_2 \downarrow$

Reg. Y:  $\Pi_1 \downarrow, \pi_2 \downarrow$

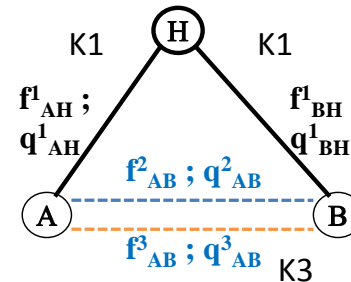
Reg. V, X:  $\Pi_1 \downarrow, \pi_2 \uparrow$

# 4. Intuition for Prop. 2

Network for Case-e



Network for Case-aII



**Reg. Z (T, K1) large:**

large  $K_1$  leads 1 to withdraw  $q^1_{AB}$ , to  $\downarrow$  expensive  $f^1_s$

large  $T$  leads 1 to shift its one-stop service to its division's nonstop service with low cost  $K_3$ .

3 greatly steals 2's AB demand  $\Rightarrow \pi_2 \downarrow$

**Reg. V, X (T, K1) small:**

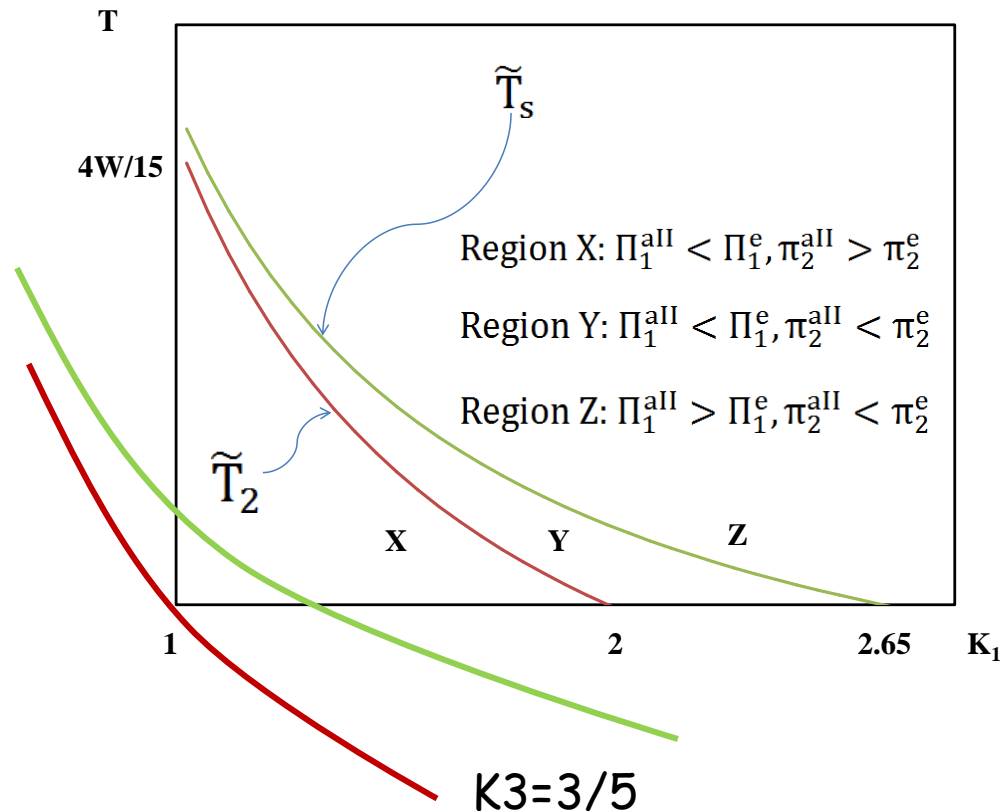
1 not adopt Aina, so as to enjoy large NFE. If adopt  $\Pi_1 \downarrow, \pi_2 \uparrow$

**Reg. Y (T, K1) intermediate:**

If adopt,  $q^1_{AB} < q^3_{AB} \rightarrow q^2_{AB} \downarrow \Rightarrow \pi_2 \downarrow$ , But the loss on the two spokes (the cost for giving up NFE)  $> \pi_{3+} \Rightarrow \Pi_1 \downarrow$

# 4. effects for A-in-aII

Corollary 2 to Prop.2:  $d\Pi_1/dK_3 < 0$ ,  $d\pi_2/dK_3 > 0$ .





# 5. Conclusion-Contribution 1

## implications for a HS network carrier

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to meet its nonstop LCC rivals, Aina stra. could be profitable only if the HS network operating costs are suff.ly large. **But importantly**, has to withdraw the one-stop if it aims to enjoy NFE by remaining HS network (ie, remain one-stop service), while to seek cost advantage by A-in-a stra. then even though its division is relatively cost efficient, the stra. is unprofitable overall.



# 5. Conclusion-Contribution 2

## with Dunn's empirical results

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**Dunn (2008):** it is not unusual that network carriers entering markets with nonstop service, even though they also offer one-stop service through a hub, in particular, when their one-stop service is of low-quality.

**This theoretical paper:** if the quality of network carriers' one-stop service is low (e.g., the hub-through extra cost is large), then it is sensible for network carriers to adopt the A-in-a-stra, but importantly it has to withdraw the one-stop service.





# 5. Conclusion-Contribution 3

## new insight into airline studies

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Previous studies showed: **HS network** is useful for deterring the entry on **spoke markets**.

This paper found that in certain circumstance the Aina stra. may hurt LCCs, implicitly implies the possibility of

**point-to-point network** formed by Aina stra. may play a role of deterring the LCCs' entry on **rim markets**.

# 5. Conclusion-future works

- the relationship between the parent airlines and their low-cost divisions
- to consider the choices of aircraft size (the relationship between frequencies and total traffic volume)
- to consider the timing of LCCs' entry and the establishment of low-cost divisions. Using a dynamic game to explicitly investigate how Aina stra. affects the entry decision of LCCs.



Thank you for  
your attention ♪

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Ming Hsin LIN(明信 林)\*

Hereafter for references

## 4. Intuition for Prop. 1-note

Why  $[q_{1ABe}] > [q_{1ABaI} + q_{3ABaI}]$  ?

larger -1 +1

Establishing 3  $\rightarrow$  hedonic price is the same  
 $\rightarrow$  total demand does not change.

If  $q_{3AB}$  and  $q_{1AB}$  are identical  $\rightarrow$

$[q_{1ABe}] = [q_{1ABaI} + q_{3ABaI}]$

-1 +1

But! Network frequency effect exist

$q_{3AB} + 1 \rightarrow q_{1AB} - 1 \rightarrow f_{1AH}(q_{1AH}) \downarrow \rightarrow q_{1AB} \downarrow$  more

